

EXAMPLE PROBLEM 1.

Given:

- Design Flow $Q = 120$ cfs.
- Length of Sewer $L = 450$ ft.
- Available Drop $d = 3.5$ ft.
- Manning's Roughness Coefficient
- Concrete Pipe $n = 0.011$
- CMP 2-2/3" x 1/2" Corr. $n = 0.024$
- CMP 3" x 1" Corr. $n = 0.027$
- CMP 6" x 2" Corr. $n = 0.033$

Find:

- (1) Selection of pipe sizes
- (2) Drop required for full flow
- (3) Parts full if all available (3.5 ft.) drop is used
- (4) Velocity of flow

Solution:

1. Set length of sewer 450 ft. (L scale) at the design flow/ 120 cfs. (Q scale). Opposite the available drop 3.5 ft. (d scale), read a value of C (1360) discharge coefficient. Move slide to right so the desired Manning's n is at the computed C (1360) value.

The circular pipe size is shown in the window; elliptical and arch pipe sizes and areas are in windows on the reverse side. Read the size at or to left of hairline in window.

EXAMPLE PROBLEM 2.

Given:

A 48" x 76" horizontal elliptical concrete pipe storm sewer, $n = 0.012$ and flowing three-tenths full.

Find:

Slope required to maintain a minimum velocity of 3 feet per second.

The following types and sizes will carry the design flow:

Type of Pipe	Pipe Size (Inches)
Circular Concrete Pipe	48
Circular CMP 2-2/3" x 1/2"	60
Circular CMP 3" x 1"	66
Circular CMP 6" x 2"	72
Horizontal Elliptical Concrete Pipe	38 x 60
Concrete Arch Pipe	36 x 58 1/2

Choosing the 48" circular concrete pipe —

2. Move slide so pipe size chosen (48" dia.) is at hairline. At n used (0.011), read a new value for C (1700). Reset L (450 ft.) at Q (120 cfs). Opposite the new C (1700) value, read the drop required $d = 2.3$ ft., if the sewer (48" dia.) is to flow full.

3. Move slide so the available drop (3.5 ft.) is at the new C (1700) value. Opposite L (450 ft.) read potential full flow $Q = 150$ cfs. available through 48" dia. pipe size, at this drop. Move slide so 1.0 on parts full scale is at the actual full flow Q (150 cfs). Opposite the design flow Q (120 cfs.), read parts full = 0.67.

4. Set the pipe area (12.6 sq.ft.), referenced by the pipe diameter 48" on D scale, at the potential full flow Q (150 cfs). Opposite the arrow, read the full flow velocity $V = 12$ fps. For the partial flow velocity set 1.0 on the circular pipe parts full scale at the full flow velocity V (12 fps). Opposite the parts full computed in step 3 (0.67), read the partial flow $V = 13.3$ fps.

Solution:

Start with V scale on reverse side of calculator. Set 0.3 on horizontal elliptical parts full scale at the minimum velocity 3 fps. At 1.0 read full flow velocity $V = 4.1$ fps.

Move arrow to full flow velocity V (4.1), at the area A sq.ft. for a 48" x 76" HE pipe (20.5 sq.ft.) read full flow $Q = 83$ cfs.

Set 48" x 76" at hairline in elliptical pipe size window. On front side of calculator, then read at $n = 0.012$ a value for $C = 2910$.

At full flow Q (83 cfs) set $L = 100$ ft., at C (2910) read the drop $d = 0.08$ ft.; or the slope equals 0.08 ft. per 100 ft. or 0.08% slope.